

# Improving Commercial Vehicle Routing with Parking Information

Klaas Fiete Krutein, Giacomo Dalla Chiara, Todor Dimitrov, Anne Goodchild

University of Washington

Supply Chain Transportation & Logistics Center

Urban Freight Lab

# Introduction

# Background

Commercial vehicle driver's job is challenged by increases in delivery demand, traffic delays, competition for the curb

→ carriers are striving to satisfy demand in an increasingly complex urban environment



Image source: New York City DOT

Telematics and analytics system can support delivery drivers

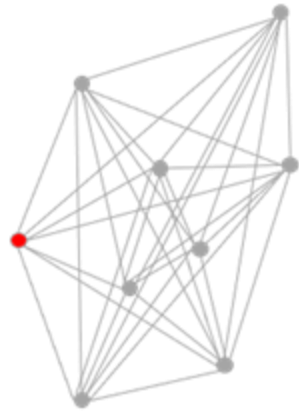
- Scheduling: allocation of orders to vehicles
- Routing: optimize order of deliveries considering constraints (e.g. travel time, delivery time windows)
- Live information: traffic conditions, demand changes

# How do carriers route?

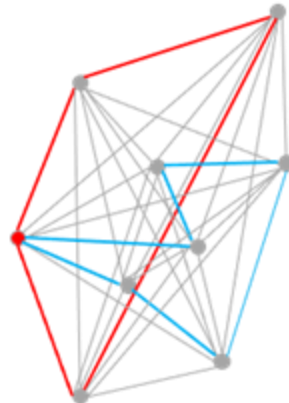
- Performed interviews with carriers
- Standard model: Capacitated vehicle routing problem with time windows

## INPUTS

- List of orders with delivery addresses
- Travel time matrix
- Number of vehicles with capacity



Find the routes  
with shortest total  
driving and  
stopping time



Base line:

VRP with time  
windows:

Every delivery has  
to take place in a  
certain time  
window



## OUTPUTS

- Optimized route / manifest

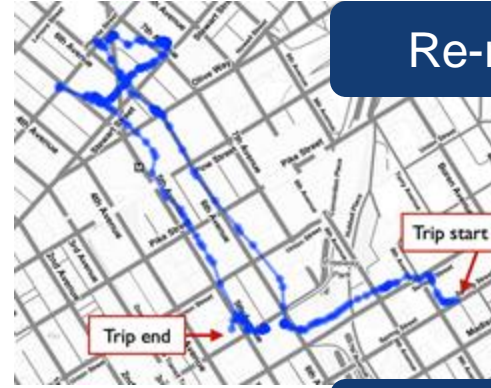
- Some routing systems use traffic information for time dependent travel times
- Parking occupancy information **not used** in scheduling/routing

# What happens when parking is unavailable?

Cruising



Re-routing



Walking



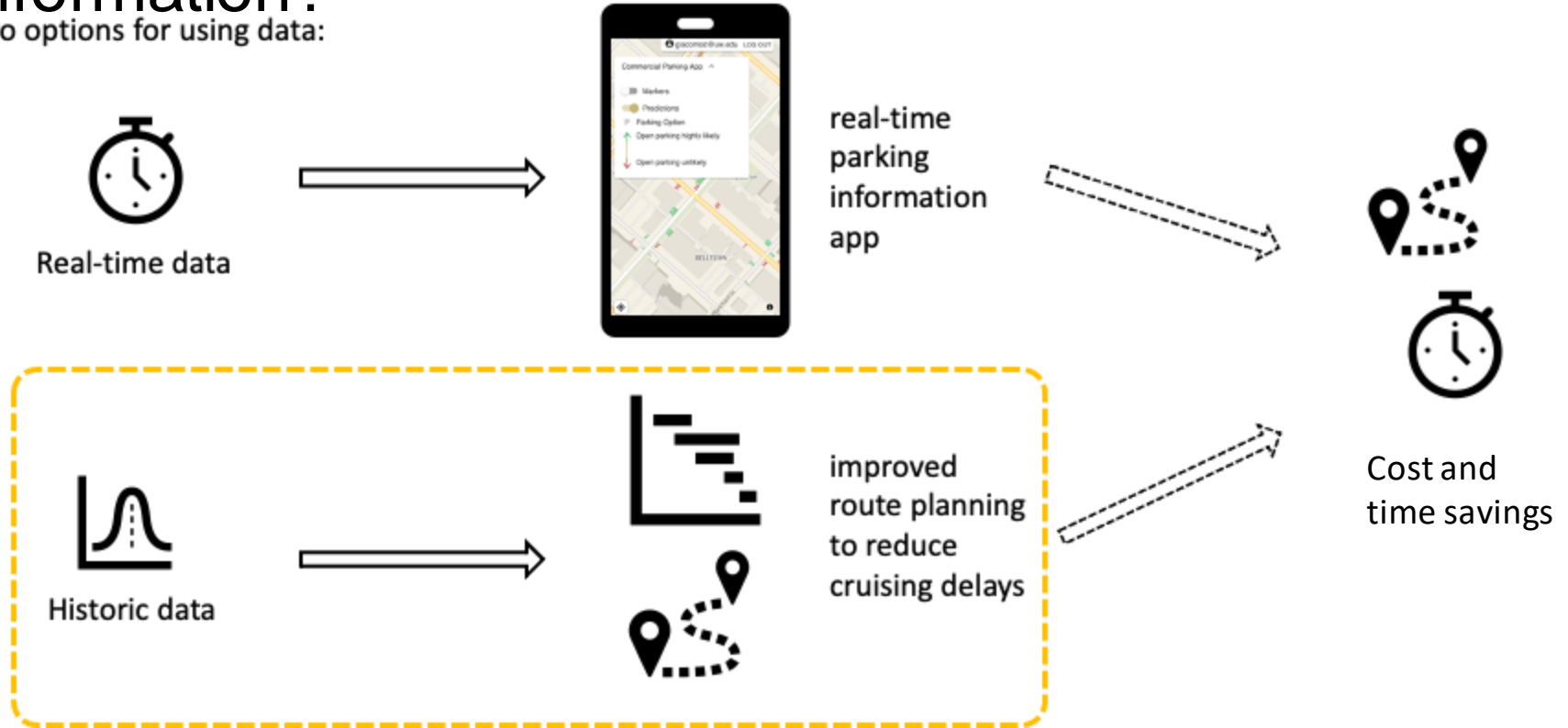
Queueing



Dalla Chiara et al. (2021) Understanding urban commercial vehicle driver behaviors and decision making, Transportation research record 2675 (9), 608-619

# What can we do with parking occupancy information?

Two options for using data:



# Objectives

What do we want to contribute?

*Evaluate the benefits of using parking occupancy information in urban deliveries*

How are we going to achieve this goal?

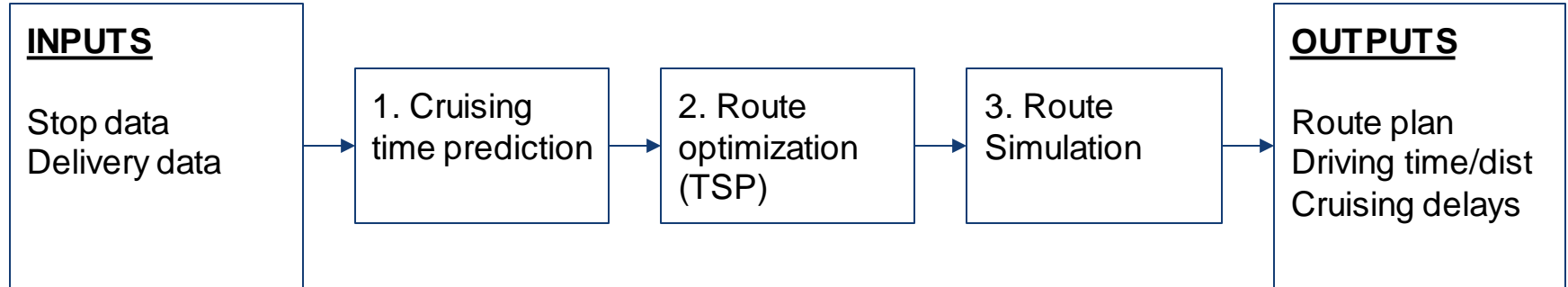
*A lack of parking occupancy information can lead to drive time delays (cruising)*

*Simulate the effect of incorporating cruising for parking delays into route optimization*

# Methodology



# Overview



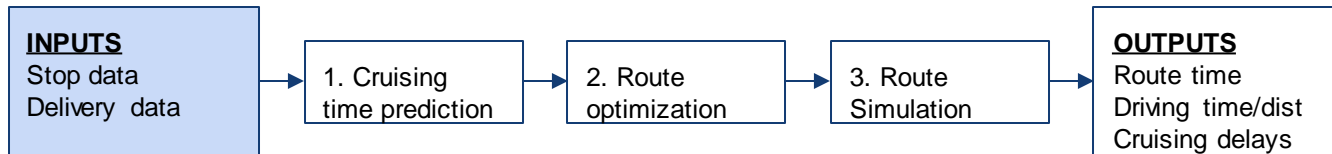
# Input data (Real world)

Two data sources:

- Delivery data (from drivers' delivery device / delivery management system)
  - Customer, manifest & order details (volume, weight, delivery time window...)
  - Delivery lat/lon & time
- Stops data (from in-vehicle GPS system)
  - Stop lat/lon & time
  - Stop dwell time

Were recorded for 2 years, from a beverage distributor's carrier vehicles, performing deliveries in Seattle

- Approx. 50 drivers, 2k customers, 60k deliveries



# Cruising time estimation

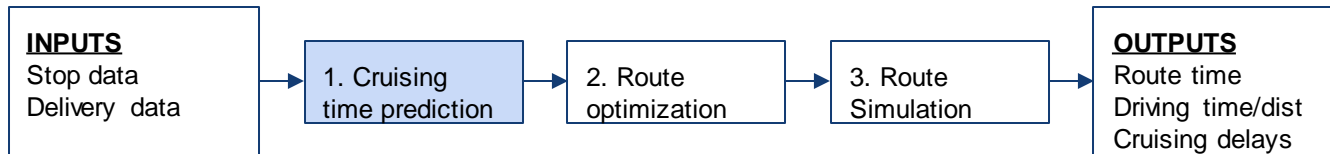


Obtain reliable estimates of truck cruising for parking times for different data sources:

Stat	A	B
1st Qu.	0.47	1.08
Median	2.13	3.27
Mean	5.43	4.44
3rd Qu.	7.88	6.46

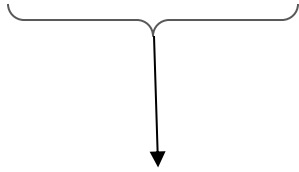


Dalla Chiara & Goodchild (2020) *Do commercial vehicles cruise for parking?* Transport Policy 97, 26-36

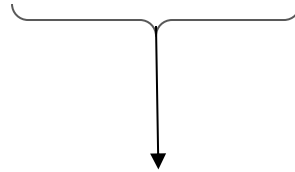


# Cruising time prediction

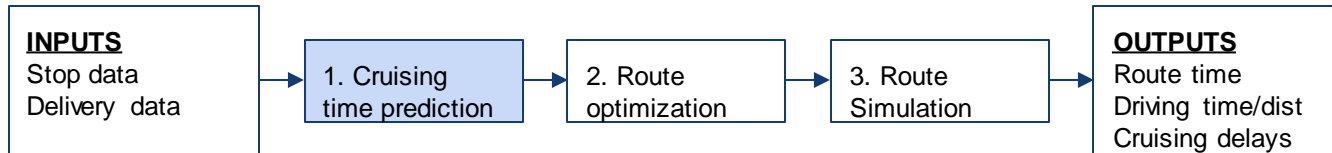
$$\log(\textit{trip time}) = \beta_0 + \beta_{tt} \log(\textit{travel time}) + \dots + \beta_{cvlz} CVLZ + \dots + \varepsilon$$



“Corrected” travel time matrix with cruising delays

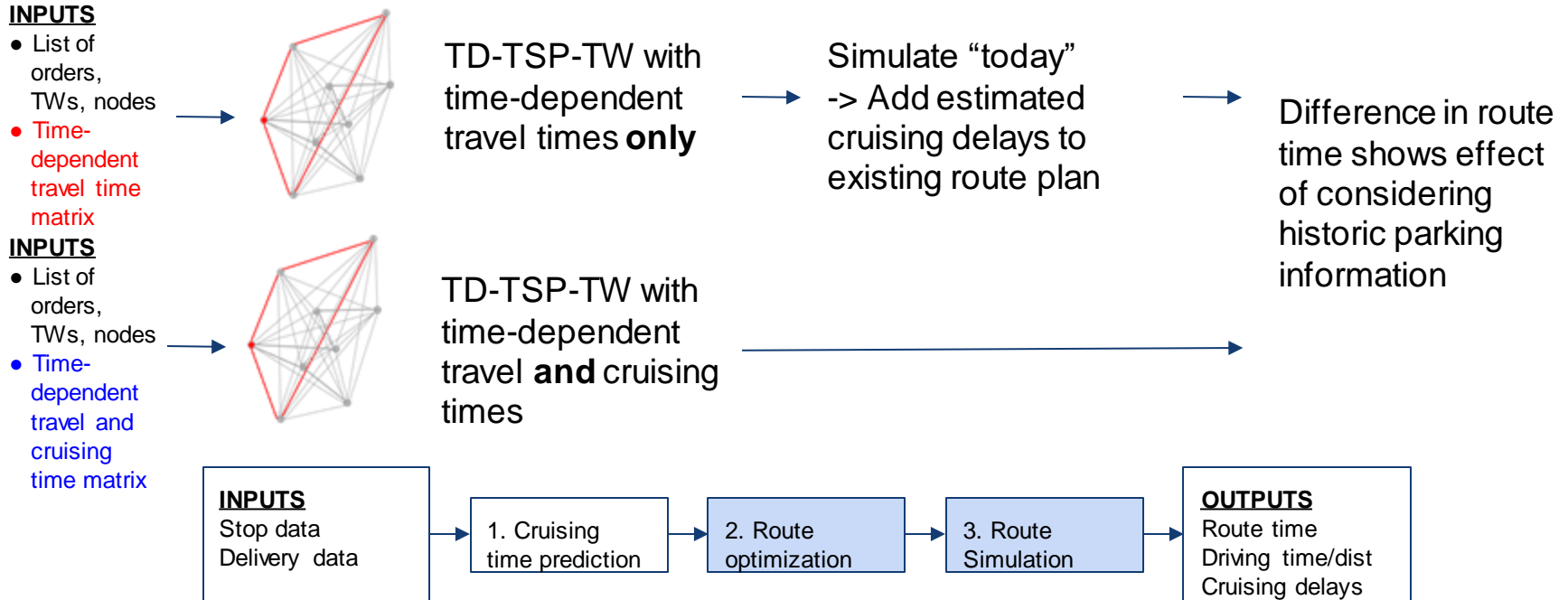


Travel time matrix used as input to “classic” routing models



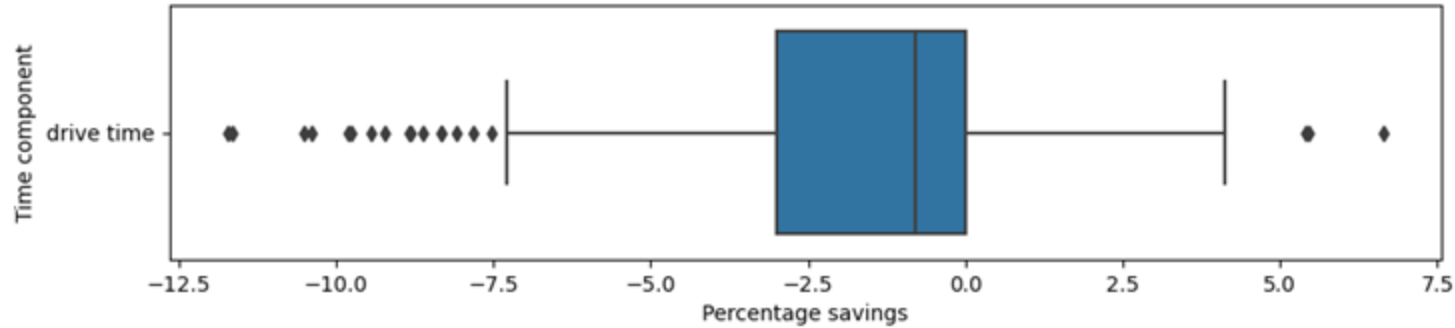
# Using cruising information to improve routes

- Update time-dependent travel time matrix with additional cruising estimation
- Show the effect of cruising predictions through two models

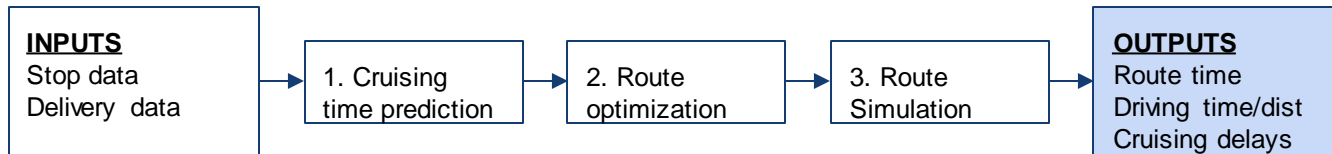


# Results

# Real World Study



- Route time savings on real world data exist, but are small (mean savings of 1.5% / 1.02 min per route)
- High number of hidden variables influencing the route savings
- Interaction effects with accuracy of cruising time prediction model

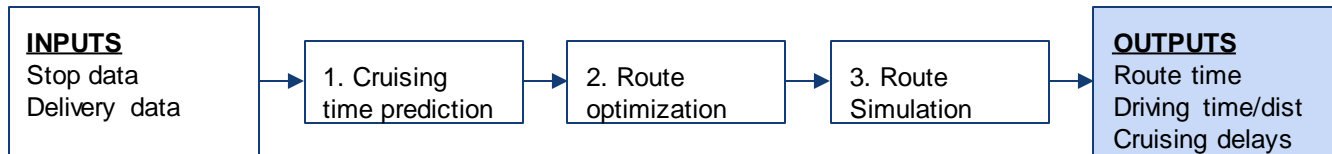


# Synthetic Study

**Goal:** Identify route characteristics that benefit from consideration of cruising delays







**Design:** Full factorial  $2^k$  experiment

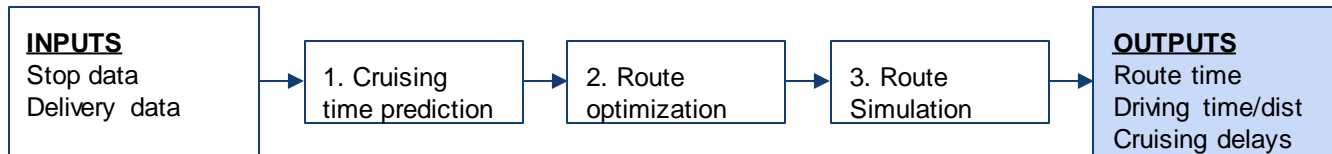
**Method:** Delivery manifests sampled from coordinates based on varying parameters:





# Synthetic Study - Parameters of Interest

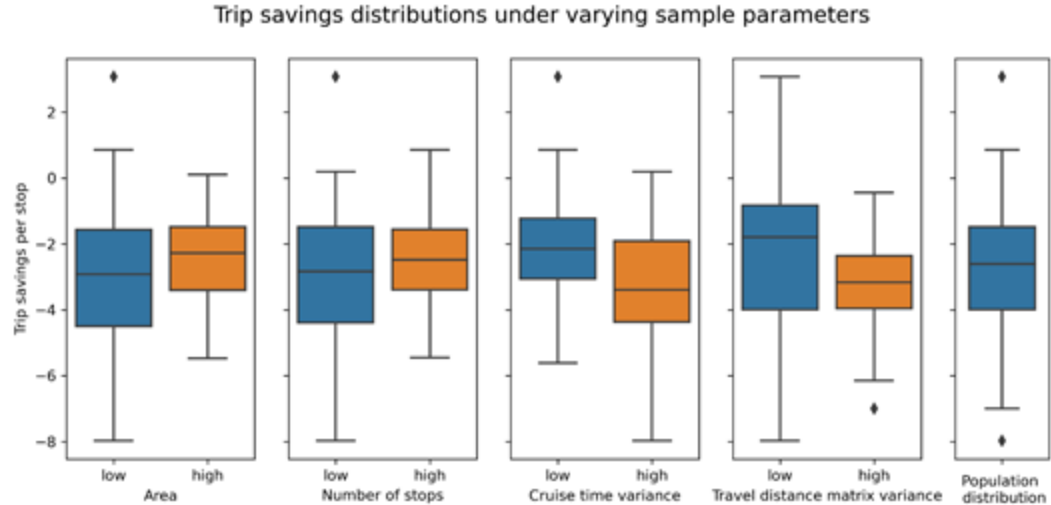
Variable	Low	High	Variable	Low	High
Size of Area ( $a$ )	1 km <sup>2</sup> 	4 km <sup>2</sup> 	Variance of Cruise Time Delays ( $\sigma_{cd}$ )	$\sigma = 0.5$ 	$\sigma = 2$ 
	Number of Stops ( $n$ )	5 Stops 		15 Stops 	Variance of Travel Time Matrix ( $\sigma_{tt}$ )



# Synthetic Study - ANOVA

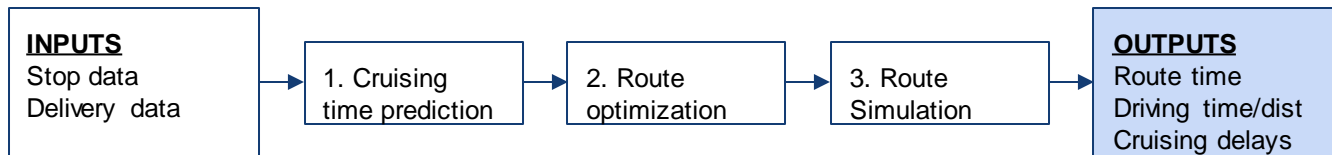
## Significant variables:

- Number of stops
- Cruising time variance
- Travel distance variance
- Cruise time Variance \*  
Number of Stops



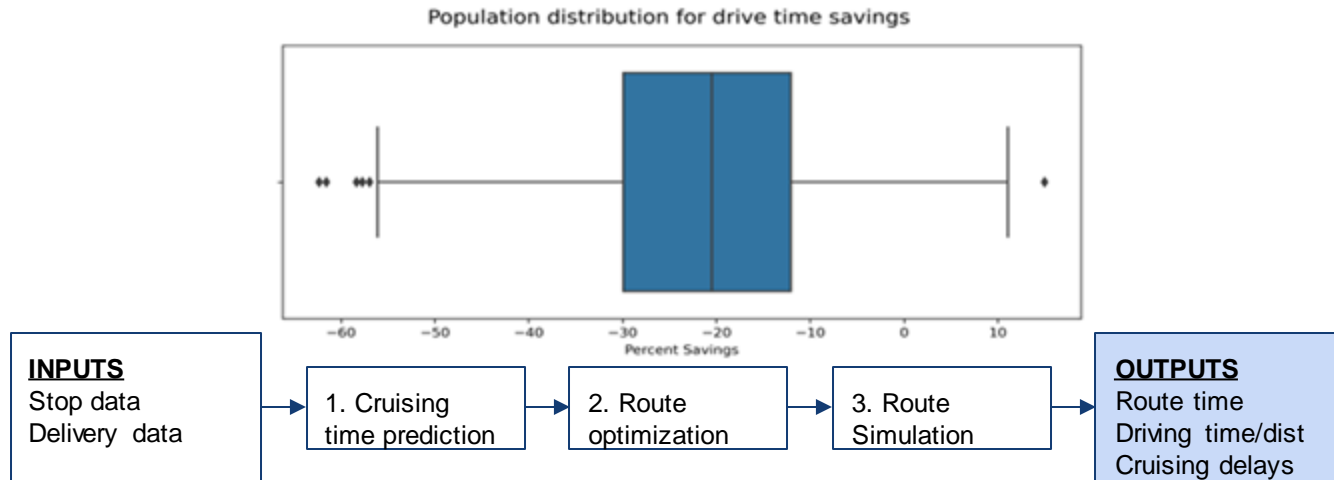
**Best configuration:** **Few** Stops, **Compact** Shape, **Low** Travel Matrix variance, **High** Cruising delay variance

**Mean saving per stop:** -3.78 minutes per stop



# Synthetic Study - Findings

- Variance of cruise time delays, the number of stops, and shape of the route all play a significant role in how impactful route savings are when cruising delays are considered in route generation.
- Average drive time savings of 21.6% with savings up to 60% for some routes.
- **Few** Stops, **Compact** Shape, **Low** Travel Matrix variance, **High** Cruising delay variance have largest mean drive time savings of 43% and an average of -3.78 minutes per stop.



# Conclusions

- YES, considering parking occupancy information in route planning can generate savings for route planning
- Synthetic Study shows potential for savings of 21.6% in drive time
  - Routes with fewer stops, concentrated shape, high cruising time variance show largest savings potential
- This demonstrates that it is beneficial to further push for more transparency on parking occupancy in future research, as it reduces delivery caused stressors of the urban environment.

# Questions & Answers

# Back-Up

# Time dependent TSP with time windows (TD-TSP-TW)

Vu et al. (2018)

$$z = \text{minimize} \quad \sum_{((i,t),(j,t')) \in \mathcal{A}} c_{ij}(t) x_{((i,t),(j,t'))}$$

subject to

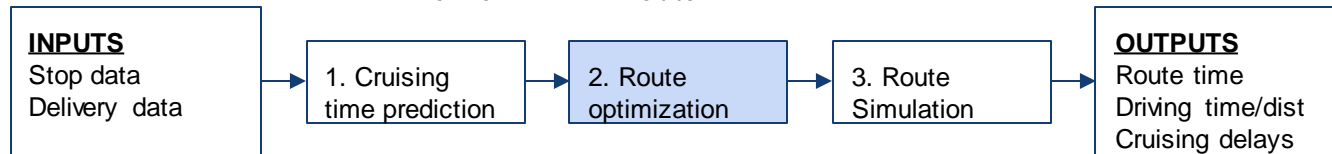
$$\sum_{((i,t),(j,t')) \in \mathcal{A}: i \neq j} x_{((i,t),(j,t'))} = 1, \quad \forall j \in N, \quad (1)$$

$$\sum_{((i,t),(j,t')) \in \mathcal{A}} x_{((i,t),(j,t'))} - \sum_{((j,\bar{t}), (i,t)) \in \mathcal{A}} x_{((j,\bar{t}), (i,t))} = 0, \quad \forall (i,t) \in \mathcal{N}, i \neq 0 \quad (2)$$

$$x_{((i,t),(j,t'))} \in \{0, 1\}, \quad \forall ((i,t), (j,t')) \in \mathcal{A}. \quad (3)$$

$$t' \leq l_j$$

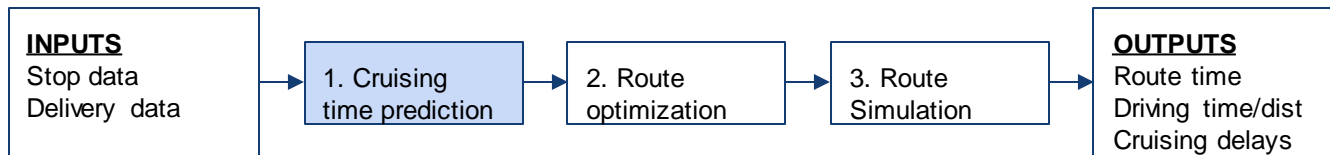
$$t' = \max\{e_j, t + \tau_{ij}(t)\}$$



# Explaining cruising time

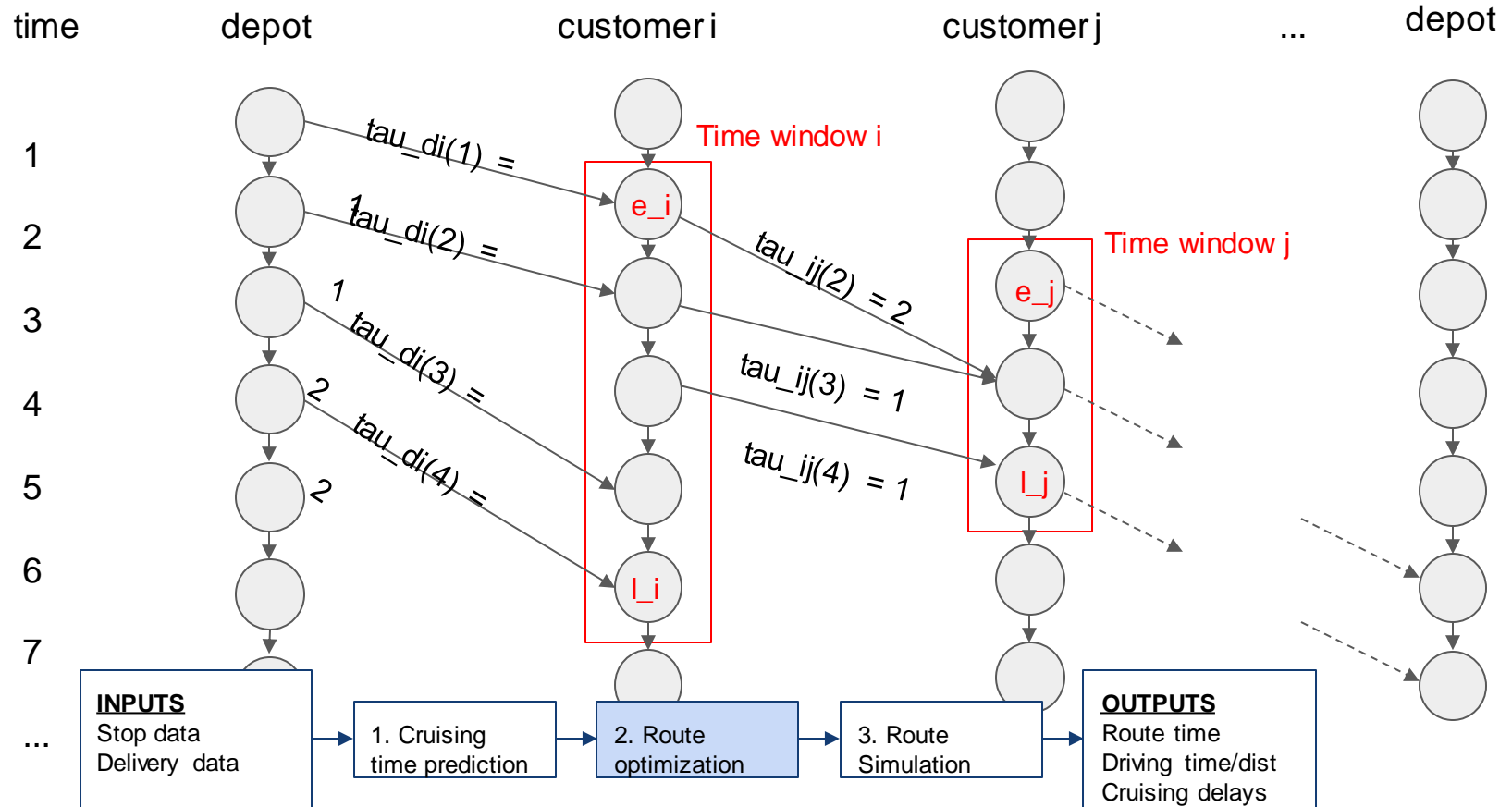


- Parking buffers centered at trip destinations of 100 meters (330 ft.) rad.
  - Parking allocation & infrastructure
  - Built environment
  - Parking occupancy
- Other variables:
  - Time attributes
  - Activity attributes
  - Vehicle & driver attributes
  - Route attributes
  - ...





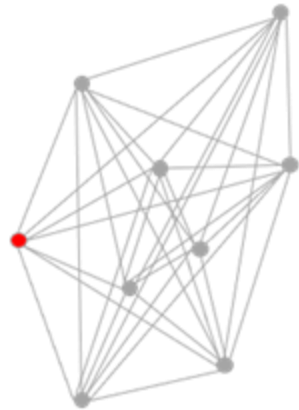
# Time dependent TSP with time windows (TD-TSP-TW)



# Recap: How do carriers route?

## INPUTS

- List of orders with delivery addresses
- Travel time matrix
- Number of vehicles with capacity

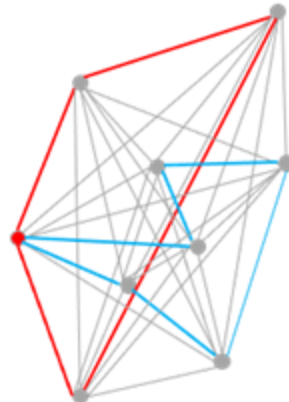


Find the routes  
with shortest total  
driving and  
stopping time



- Depot
- Delivery address

- Route of red truck
- Route of blue truck
- Road connection



Base line:

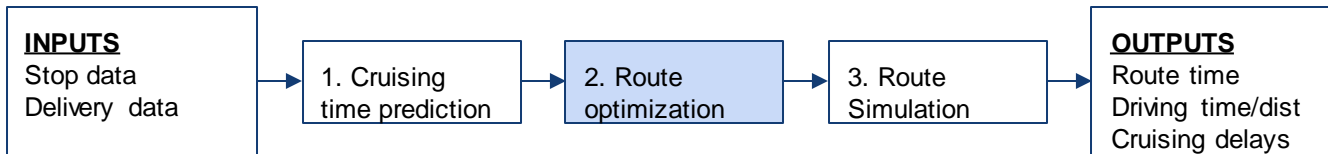
VRP with time  
windows:

Every delivery has  
to take place in a  
certain time  
window



## OUTPUTS

- Optimized route / manifest



# Simplification from VRP to TSP with time windows

What does the VRP with time windows do?

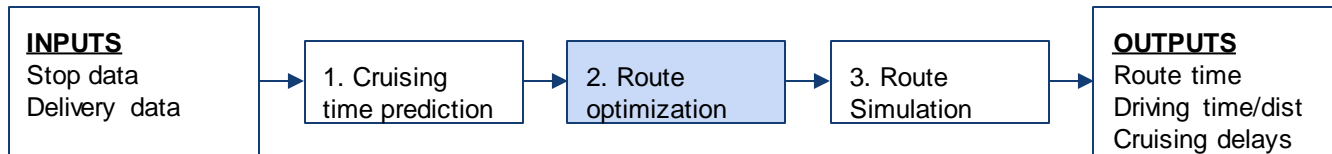
- VRP performs order allocation **and** routing simultaneously for optimal routes
- VRP with and without cruising time estimates changes travel time matrix
  - This may result in completely different order allocations and route plans

Why is that a problem?

- Difficult to isolate the effect of cruising estimates on routing

What is our solution?

- Isolate effect of cruising estimates through simplifying to TSP with time windows
  - TSP is a single-vehicle VRP and takes list of orders for a single vehicle as input and optimizes routes

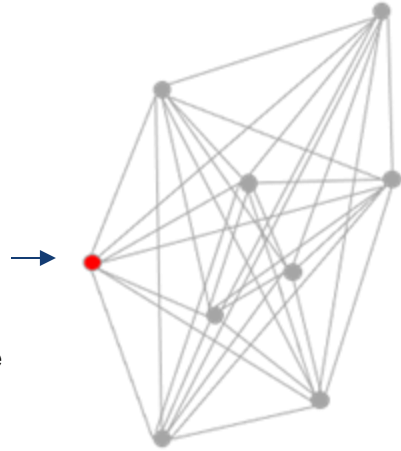


# TSP with time windows

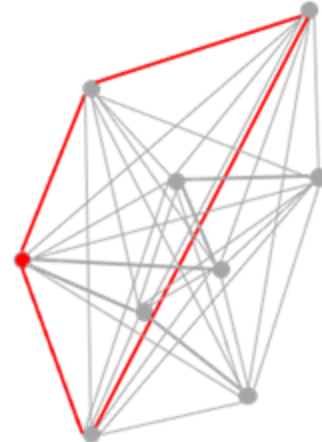
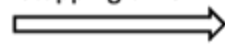
## Travelling Salesman Problem (TSP)

### INPUTS

- List of orders with delivery addresses and time windows
- Travel time matrix



Find the route with shortest total driving and stopping time



- Depot
- Delivery address

- Route of red truck
- Road connection

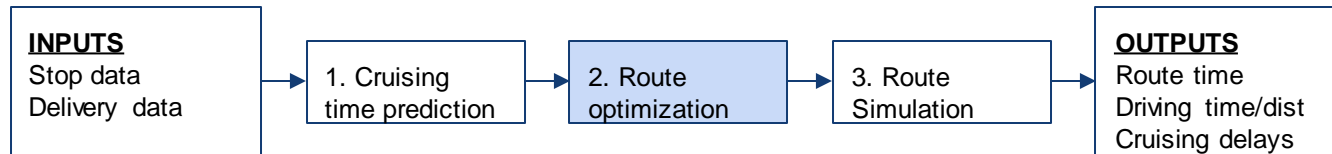
Base line:

TSP with time windows:

Every delivery has to take place in a certain time window

### OUTPUTS

- Optimized route / manifest



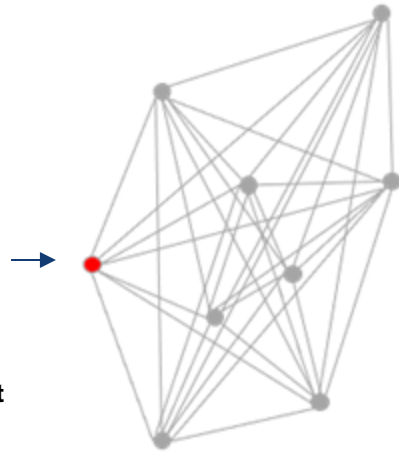
# Time dependent TSP with time windows (TD-TSP TW)

In addition: Considers different travel times during different hours of the day

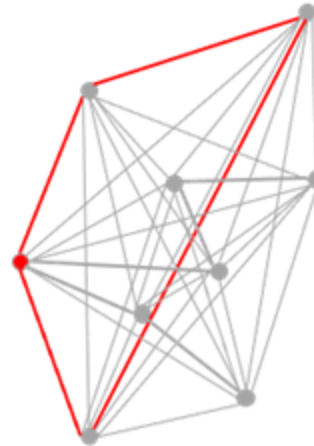
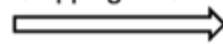
## Travelling Salesman Problem (TSP)

● Depot  
● Delivery address

— Route of red truck  
— Road connection



Find the route with shortest total driving and stopping time



Base line:

TSP with time windows:

Every delivery has to take place in a certain time window

## OUTPUTS

- Optimized route / manifest

### INPUTS

Stop data  
Delivery data

1. Cruising time prediction

2. Route optimization

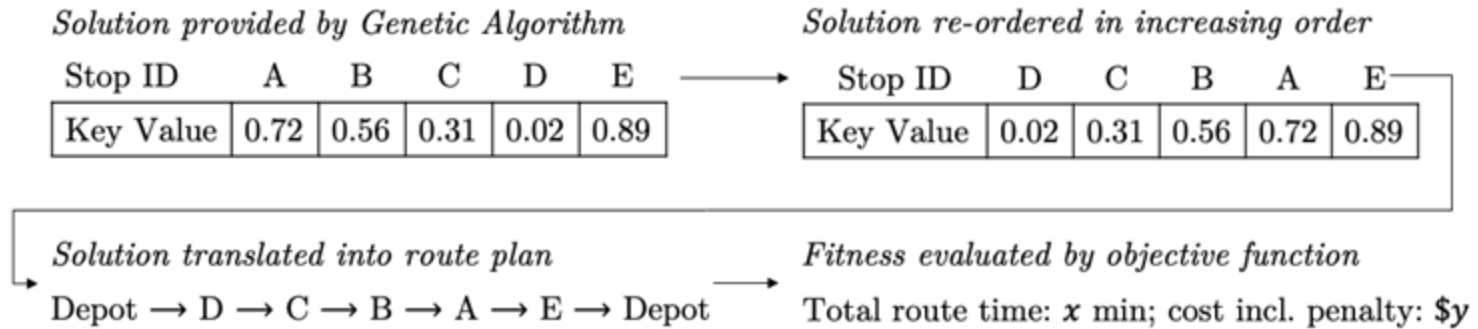
3. Route Simulation

### OUTPUTS

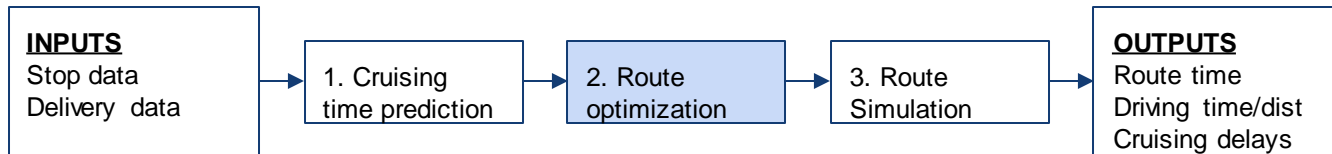
Route time  
Driving time/dist  
Cruising delays

# MP-BRKGA for TD-TSP-TW

- MP-BRKGA (Andrade et al., 2021) heuristic implicitly represents solution



- Decoder tailored to TW constraints
- Demonstrated strong performance for small instances that could be compared with commercial solvers

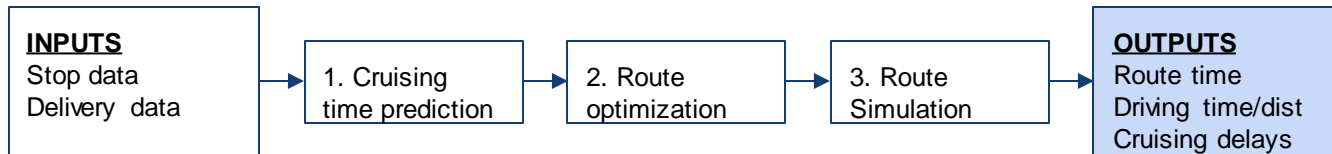
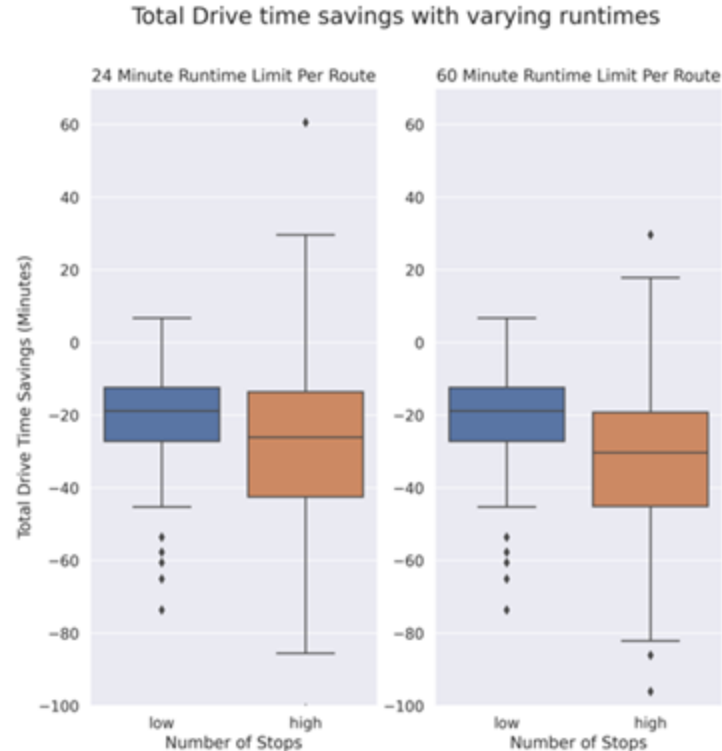


# Varying Number of Stops

**Observation:** Lower number of Stops lead to better average savings per stop

## Takeaways:

- Total drive time savings are still larger under the high stop scenarios. Standardization creates an inverse relationship.
- Increased complexity from tripling number of stops requires significant runtime increase to reach optimal values in BRKGA



# Drive Time Savings

**Best performing Config:**

**Low** Stops, **Low** Area, **Low**  
Travel distance variance, **High**  
Cruise time variance

**Average Percent Savings:** 43%

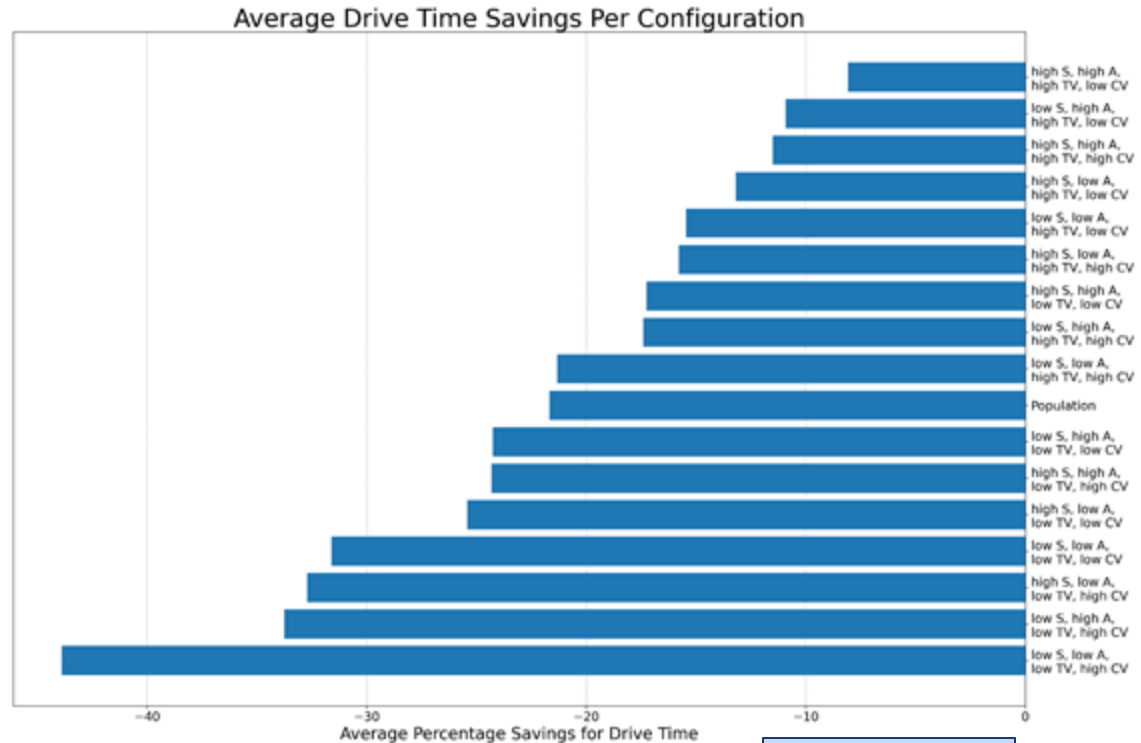
Every configuration with a **low**  
travel matrix variance and a **high**  
cruise time variance was above  
the population average

**Acronyms:**

**S** – Stops, **A** – Area

**TV** – Travel matrix Variance

**CV** – Cruise time Variance



## INPUTS

Stop data  
Delivery data

1. Cruising  
time prediction

2. Route  
optimization

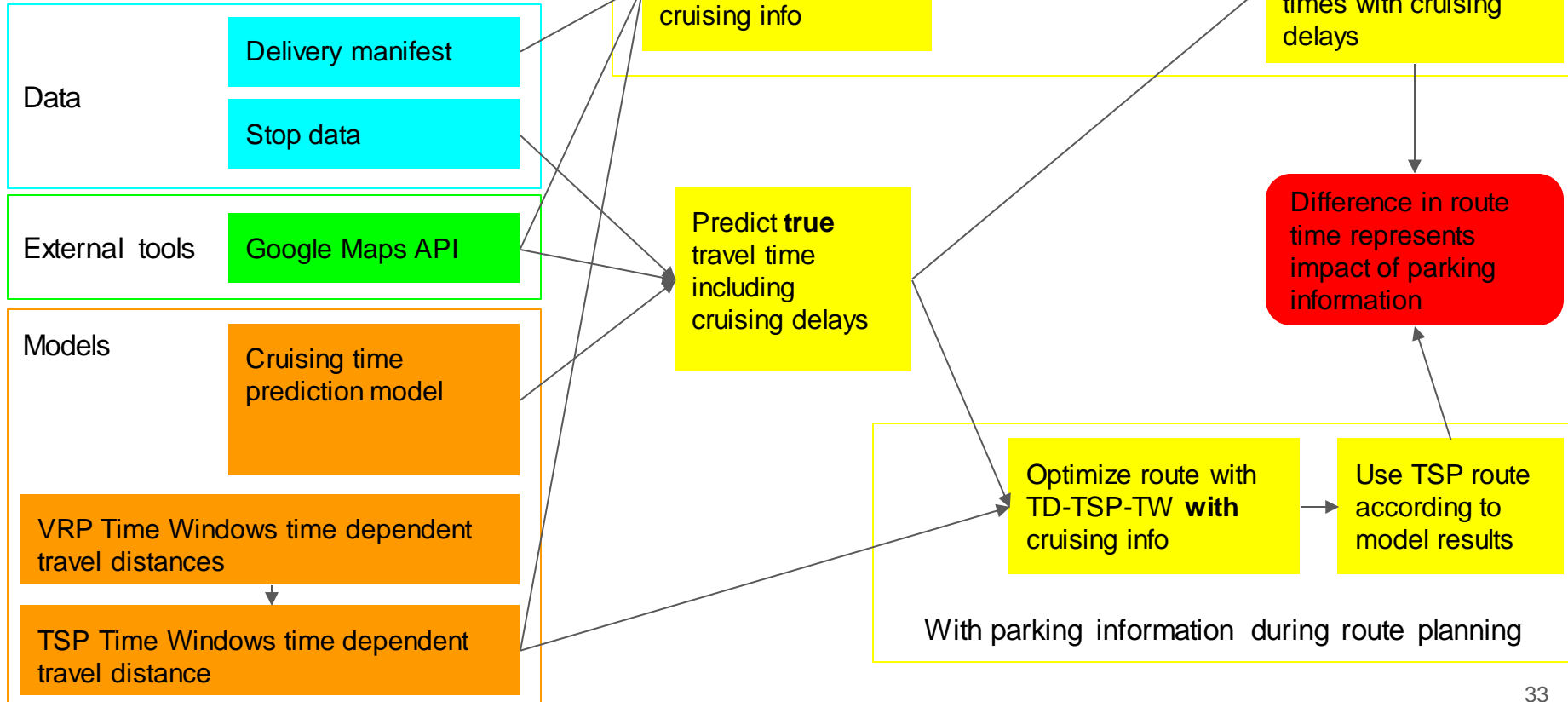
3. Route  
Simulation

## OUTPUTS

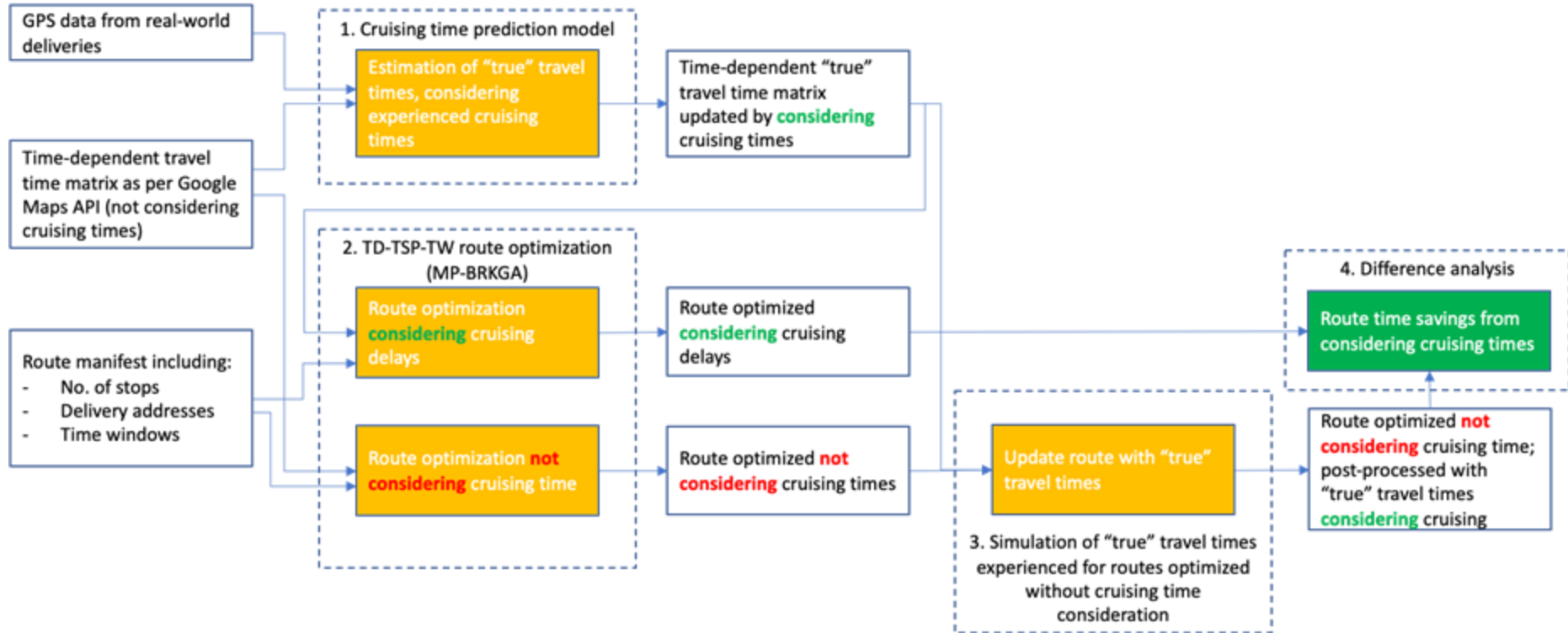
Route time  
Driving time/dist  
Cruising delays



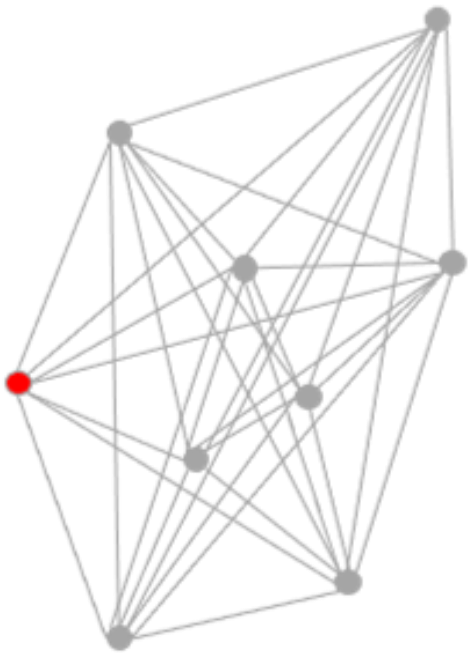
# Model Structure



# Detailed Simulation Structure



# Interaction Effect



Variance of cruise time and number of Stops

